

Exploring the Limits to NIF Capsule Coupling

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Exploring the limits to NIF capsule coupling

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Our original ignition "point designs" (circa 1992) for the National Ignition Facility (NIF) were made energetically conservative to provide margin for uncertainties in laser absorption, x-ray conversion efficiency and hohlraum-capsule coupling. Since that time, extensive experiments on Nova and Omega and their related analysis indicate that NIF coupling efficiency may be almost "as good as we could hope for". Given close agreement between experiment and theory/modeling, we can credibly explore target enhancements which couple more of NIF's energy to an ignition capsule. We find that 3-4X increases in absorbed capsule energy appear possible, providing a potentially more robust target and ~10X increase in capsule yield.

Introduction

The National Ignition Facility (NIF) [1] in the United States and Laser Megajoule (LMJ) [2] in France, the next generation of high-energy, high-power ICF laser drivers, have the potential of achieving thermonuclear ignition and gain in the laboratory. One key element of achieving that goal is coupling a significant fraction of the lasers' energy to a fuel capsule. We can relate the quantity of x-rays absorbed by an indirect drive ignition capsule, E_{cap} , to the laser energy, E_{NIF} , via the expression

$$E_{\text{cap}} = \eta_{\text{abs}} \eta_{\text{CE}} \eta_{\text{HR-cap}} E_{\text{NIF}} \quad (1)$$

As indicated schematically in figure 1, η_{abs} is the fraction of incident laser energy absorbed by the hohlraum, η_{CE} is the conversion efficiency of laser light into x-rays and $\eta_{\text{HR-cap}}$ is the fraction of generated x-rays which are actually absorbed by the capsule. Typically, η_{abs} is assumed to be

$$1 - (\text{SBS} + \text{SRS})$$

where SBS is the fraction of incident laser light reflected or scattered out of the hohlraum by Stimulated Brillouin Scatter and SRS is the fraction reflected by Stimulated Raman Scatter [3]. Since E_L for NIF is nominally 1.8MJ, standard "point design" capsules [4,5] which absorb 150kJ of x-rays require $\eta_{\text{abs}} \eta_{\text{CE}} \eta_{\text{HR-cap}} = 0.083$. Additional constraints [4] are that the hohlraum be gas filled; the laser pulse shape be carefully tailored; and the peak radiation temperature (T_r) be 250 to 300eV.

Numerical simulations of the ignition point design's hohlraum and capsule show a theoretical conversion efficiency of $\sim 80\%$ and a $\eta_{\text{HR-cap}}$ of $\sim 14\%$, producing a theoretical $\eta_{\text{CE}} \eta_{\text{HR-cap}}$ of 0.11. Compared to the 0.083 required efficiency, this provides a 25% margin. This margin was intentionally incorporated into the ignition program in the early 90's in order to compensate for uncertainties, allowing us to be off somewhat in our assumptions and still be able to achieve ignition. For example, if $\eta_{\text{abs}}=1$ and $\eta_{\text{CE}} \eta_{\text{HR-cap}}=0.11$ then $E_L=1.35\text{MJ}$ would successfully drive our ignition design. Or if stimulated backscattering losses proved to be as much as 25% but $\eta_{\text{CE}} \eta_{\text{HR-cap}}=0.11$, then the expected 1.8MJ will successfully drive the ignition design. Similarly if $\eta_{\text{abs}}>0.75$ and $E_L=1.8\text{MJ}$, then values of $\eta_{\text{CE}} \eta_{\text{HR-cap}}<0.11$ would also work.

Since the original point design was specified, an extensive experimental effort, first on Nova and, more recently, on the Omega laser, has significantly reduced the uncertainties in coupling. Indeed, these experiments and their related analysis indicate that NIF coupling efficiency will be almost as good as we had hoped for. Ongoing experiments studying stimulated brillouin and raman backscattering (also known as Laser Plasma Interactions or LPI) in ignition hohlraum "plasma emulators" imply that the total backscattered losses from these two processes should be $<\sim 5\%$ [6]. Complementing this work are experiments studying the radiation drive [7,8,9,10] and symmetry in laser heated hohlraums [11,12,13]. Analysis of these experiments shows that x-ray production and capsule coupling is very close to our modeling. We conclude that for a

capsule of given area and albedo, an ignition hohlraum's $\eta_{CE} \eta_{HR-cap}$ will be $\sim 1.04 \pm 0.12$ of coupling predicted by our simulations. Applying that to the NIF point design gives an estimated coupling of 0.115 ± 0.012 . [8,9].

Given coupling that is close to modeling, we can credibly explore ways to increase capsule absorbed energy. Referring to equation 1, we can increase capsule energy by increasing η_{CE} , η_{HR-cap} , and/or E_{NIF} . In section 1, below, we describe improvements to the hohlraum which allow us to increase the overall hohlraum coupling efficiency, $\eta_{CE} \eta_{HR-cap}$. In section 2 we describe strategies which allow us to increase E_{NIF} .

1- Improving hohlraum coupling efficiency

The energy that a capsule absorbs is just one part of the overall hohlraum energy balance. For a given amount of total x-ray production in the hohlraum, $= \eta_{CE}(\eta_{abs} E_{NIF})$ we can write

$$\eta_{CE}(\eta_{abs} E_{NIF}) = E_{WALL} + E_{LEH} + E_{CAP} = (E_{wall}/E_{CAP} + E_{LEH}/E_{CAP} + 1)E_{CAP} \quad (2)$$

where E_{WALL} is the the x-ray energy absorbed by the high-Z walls of the hohlraum (a diffusive, radiative heat flow) and E_{LEH} is the radiation losses through the laser entrance hole (LEH). We use ratios in equation 2 to emphasize that we can increase capsule coupling by decreasing the fractional energy absorbed by the wall relative to the capsule absorption, and by decreasing the

fractional energy that escapes the LEH relative to the capsule absorption. Since the wall losses are proportional to the hohlraum area, we can reduce $E_{\text{WALL}}/E_{\text{CAP}}$ by making changes which decrease the heat flow/unit area as well as by decreasing the total area of the wall while leaving the capsule size fixed (the need to maintain good implosion symmetry limits the degree to which we can shrink the hohlraum.). Similarly, we can reduce $E_{\text{LEH}}/E_{\text{CAP}}$ by decreasing the area of the laser entrance hole while leaving the capsule size fixed. Finally, we note that hohlraum improvements which either directly or indirectly increase x-ray conversion efficiency, η_{CE} , or hohlraum absorption, η_{abs} , will also increase E_{CAP} .

To understand the improvements that can be made to ignition hohlraum coupling efficiency, consider as a case-study a design based on a 600kJ variant of a 250eV target with a Beryllium ablator [4] as shown in figure 2. This capsule has an outer radius of 1.77mm and produces 70-120MJ of yield, depending on the detailed drive profile and the amount of DT fuel assumed. We can drive this target with a continuous radiation temperature vs time as shown in figure 2. At 600kJ absorbed energy, the target is rather forgiving to changes in timing. The capsule produces high yield for drive profiles with plateau-time parameter, τ , ranging between 11 and 16 ns. The hohlraum size and, therefore, the wall area for this target depends on our choice of "case-to-capsule ratio", $R_{\text{CC}}=(A_{\text{hohl}}/A_{\text{cap}})^{0.5}$. Virtually all the NIF point design work, to date, has been done at $R_{\text{CC}}=3.65$. This case:capsule ratio would place the capsule in a hohlraum 8.8mm diameter and ~13.3mm long (this is approximately a 5.55X scale-up of a standard Nova

hohlraum, or "scale 5.55"). Standard NIF design practice calls for the laser entrance holes to have a diameter of 50% of the hohlraum diameter.

Had we examined this 600kJ capsule in the early 90's when we were first exploring NIF possibilities, we would have concluded it requires too much energy. At that time we would have assumed pure gold walls, a scale 5.55 hohlraum and 50% laser entrance holes. The energy budget for this target, case A in table 1, shows that it requires 3.3MJ of x-rays. In the early '90's, when there was considerable uncertainty about hohlraum physics, we hoped that hohlraum x-ray conversion efficiency might be as high as 70%. Using that value, we would have concluded that this target would require ~4.7MJ of laser energy; well beyond our expectations for NIF.

However there are several improvements which can be made to the hohlraum coupling. Wall losses/unit area can be significantly reduced by using hohlraums made of material mixtures. The basic idea is simple; single materials have opacity which is quite high in some parts of the x-ray spectrum but low elsewhere in the spectrum. Radiation will preferentially flow through these opacity "holes". However, by making the walls of mixtures of complementary materials these opacity holes can be filled in [14, 15]. For example, experiments on Nova showed that ~240eV radiation will flow through a mixture of gold and gadolinium more slowly than through pure gold [14]. The increase in Rosseland opacity inferred from the measurements is close to what was expected from theory.

For ignition pulse-shapes which span a very large range in temperature, very significant decreases in wall losses can be achieved by using mixtures of several materials. For example, figure 3 shows wall loss vs time for three different wall materials exposed to the Tr vs. time of figure 2. These wall estimated wall losses were calculated with the Lasnex [16] code using an average atom [17] atomic physics model. The losses plotted in figure 3 correspond to the area of a scale 5.55 Nova hohlraum made out of the indicated materials. We see that mixtures can very significantly reduce losses throughout the pulse, including the foot of the pulse. Also shown in figure 3 are plots of wall albedo vs. time for a pure Au wall and the cocktail mixture. At early times we see there can be a very significant increase in albedo which not only saves energy but also serves to reduce the hot-spot:wall emission ratio. This, in turn, reduces both intrinsic asymmetry and random asymmetry due to laser beam power imbalance [18].

Table 2 lists a variety of cocktail mixtures we have explored and, in the second column, our estimated wall losses for the 600kJ case-study capsule in a hohlraum with $R_{cc}=3.65$. The third column shows the ratio of a given mixture's estimated wall loss to that of gold. The final row in the table is an estimate of the lower bound to wall loss, found by forcing the Rosseland opacity of a $Z=75$ wall to be equal to the Bernstein-Dyson upper bound of opacity. Since the Bernstein-Dyson expression is an extremely high upper bound to opacity, we see that we might not expect to make very significant, further improvements to wall losses.

Equation 2 also shows that we can also increase E_{CAP} by decreasing the energy lost through the laser entrance hole. In a hohlraum of fixed case:capsule ratio that

means that we must decrease the laser entrance hole diameter from its standard value of 50% of the hohlraum diameter. There are at least two techniques for accomplishing this. One is to simply make the holes smaller. The other is to allow the holes to partially close as high-Z blow-off moves inward from the rim of the LEH. Our current work utilizes the latter technique. In our 2D Lasnex simulations of ignition hohlraums we find that the simulated laser entrance holes partially close if we do not coat them with a low-Z layer (as was used in previous work [4], to prevent hole closure). The x-radiation losses through the LEH of our all our integrated simulations of ignition hohlraums are consistently 50-60% of the losses we would expect from $\sigma T_R(t)^4 A_{\text{geometric}}$, where $T_R(t)^4$ is the radiation flux that is imploding the capsule, $A_{\text{geometric}}$ is the initial area of the LEH and σ is the Stephan-Boltzman constant. This "automatic" decrease in the fractional LEH loss, $E_{\text{LEH}}/E_{\text{cap}}$, reduces our case-study's x-ray requirement by 350kJ. Independent calculations of LMJ ignition hohlraums by French researchers using the 2D code FCI-2 corroborate this finding [19].

The potential benefits of reducing the specific wall losses via cocktails and allowing the laser entrance hole to close to 60% of its geometric area are summarized in table 1 as Case B. We see that these two changes reduce the x-ray energy requirement to ~2.3MJ. Additionally, we can achieve further savings of x-ray energy by shrinking the hohlraum size while keeping the capsule fixed; i.e. reduce R_{CC} . Case C in table 2 is for a hohlraum where we decreased R_{CC} to 3.28 (=90% of the conventional 3.65 value). The total x-ray requirements drop to ~2MJ.

We convert hohlraum x-ray energy requirements to laser energy requirements by dividing by the average x-ray conversion efficiency. We mentioned above that in the early 90's we had hoped that the hohlraum x-ray conversion efficiency would be as high as 70%. Since then a broad range of experiments and the associated modeling has shown that hohlraum x-ray conversion efficiency can, in fact, be as high as 85% in Nova hohlraums [7]. In the 1-D and 2-D simulations of the ignition hohlraums described here, we find effective conversion efficiencies of approximately 90%. As described in reference [7], such high conversion efficiencies are a result of the confined nature of the system; plasma blow-off energy that would be lost in open geometry remains in the hohlraum where it can "find" its way into becoming radiation. Using 90% conversion efficiency, we estimate that the laser requirements for cases B and C of table 1 are 2.6 and 2.2MJ, respectively. This, as we shall see, puts such a target within NIF's design performance envelope.

Integrated design analysis

In addition to x-ray energy estimates, as summarized by table 1, our analysis of the hohlraums's x-ray budget also produces x-ray power requirements which we readily convert to laser power requirements using estimated time dependent conversion efficiency. We validate and refine these laser power estimates with 1-D and 2-D Lasnex integrated simulations [4,5,13] which include detailed hohlraum specifications, wall materials, capsule and laser irradiation. Figure 5 shows a laser power which successfully implodes our 600kJ case-study capsule

in a scale 5.0 hohlraum ($R_{CC}=3.28$) made of cocktail materials such as the ones listed in table 2. It has a total energy of 2.25MJ. The yield from our 2-D simulations of this target, which include the affect of time dependent 2D asymmetries and non-Planckian spectra, is 65-70MJ; comparable to the 75-80MJ found for this capsule in 1D simulations using the planckian drive of figure 2. Although these design simulations at $R_{CC}=3.28$ do show a somewhat greater tendency for an axial jet of fuel to develop at late time than is typically found at the more standard $R_{CC}=3.65$, the simulated capsules consistently ignite and burns to high yield over a range of tunings .

Besides the 70MJ yield capsule, we have also been studying a 115MJ yield version of the same 250eV, Be capsule. It has more DT fuel and is driven on a somewhat lower adiabat (i.e. the foot T_R is 90eV vs the 110eV shown in figure 2). This capsule also absorbs ~600kJ. It is driven by a 2.55MJ laser pulse into a hohlraum of the more typical case:capsule ratio; $R_{CC}=3.65$. This target consistently produces 110-115MJ in our 2D simulations giving a target gain of ~44. Our estimated laser power does not result in a perfect reproduction of the original drive; here the hohlraum radiation temperature is ~270eV vs. the 250eV in the original design. Our design simulations at this R_{CC} , which do not attempt to reduce time dependent P2 variations via beam phasing, also tend to develop a late-time axial fuel jet, although it is less pronounced than at the smaller case:capsule ratio, $R_{CC}=3.28$. Understanding and minimizing this perturbation is part of the next phase of our efforts to explore the limits to NIF absorbed capsule energy.

Besides the 600kJ capsule used for our case-study, we have examined scaled versions of this capsule which absorb between 265 and 1000kJ of x-rays for R_{CC} ranging between 3.65 and 2.98. Our analysis includes validating the estimated laser power with 1-D and 2-D integrated simulations (here the 2D simulations are done with the capsule flux numerically forced to be uniform. This allows us to rapidly assess the energetics of an extensive range of hohlraums without also needing to simultaneously control symmetry.). Figure 6 summarizes the hohlraum coupling efficiency, $\eta_{CE}\eta_{HR-cap}$ of equation 1, for this survey. At the standard case:capsule ratio, cocktails, slightly reduced LEH's together with longer pulse lengths, combine to produce coupling efficiencies ~20-22% vs. the ~11% of the original point design. If we can successfully reduce the case to capsule ratio without introducing unacceptable asymmetry, then couplings ~26-28% are plausible at $R_{CC}=3.28$ and ~30-33% at $R_{CC}=2.98$.

In evaluating the increase of hohlraum coupling efficiency from ~11% to ~25%, we find that it is due to the simultaneous combination of many relatively small improvements. We cannot point to any one key change. The steady accumulation of small improvements is summarized in table 4. This collection of modest improvements produces, in concert, more than a factor of 2 increase in overall hohlraum coupling.

2- Analysis of laser pulse-shapes

NIF is a glass laser which is capable of producing up to ~4.8MJ (4MJ) of 1 μ m (infrared) wavelength laser light when it is completed with 7 (5) slabs of glass in the final booster amplifiers. (The number of slabs that will ultimately be installed is under discussion. The design allows seven). This 1 μ m light is converted to the 1/3 μ m (blue) light used to irradiate hohlraums in the final optics assembly (FOA) where it is also focussed and aimed onto the target. Two fundamental questions which must be answered in order to assess NIF's capability to produce any given pulse-shape are:

- 1- Is there enough 1 μ m light to create the needed blue pulse-shape?
- 2- If so, how much "damage" will the blue light cause in the FOA's?

The answer to the first question depends not only on the intensity dependent conversion efficiency of the KDP crystals (which convert the infrared light to blue light) but also on the operational strategy that we use to produce a given pulse-shape at the target. In the case of the 2.25MJ pulse shape of figure 5, if we elect to generate it by simply running an appropriately shaped, continuous 1 μ m pulse-shape through the KDP crystals, then we find that we need 4.5MJ of 1 μ m laser light. This is well within the energetics capability of NIF with seven booster slabs but not with five. However there are operational strategies for significantly reducing the 1 μ m requirements. These strategies are all based on the "picket fence" approach [20] which replaces a continuous, high contrast pulse with a train of short, high power pulses which convert to blue light much more efficiently in the KDP crystals. Now there is a concern, based on simulations, that hohlraums irradiated by widely spaced pickets will have symmetry problems

related to cooling of the hohlraum's bulk-plasma between pickets. However it is possible to take advantage of NIF's architecture to produce temporally skewed pickets which convert well in the KDP crystals but provide a continuous pulse after being focussed onto the target [21]. Moreover, by taking advantage of NIF's architecture in which a "quad" (a 2x2 array of four beams) can be treated as a single beam which irradiates the hohlraum, it is possible to interleave four relatively short pulses from each of the four beams to form a continuous pulse. Using techniques such as this, we can envision average $1/3\mu\text{m}$ conversion efficiencies as high as 70%, as measured at the target. For the pulse shape of figure 5, this "ultra-fast picket" technique could lower the $1\mu\text{m}$ energy requirement to $\sim 3.5\text{MJ}$. Indeed, such advanced conversion schemes allow us to contemplate even larger capsules. Table 4 summarizes $1/3\mu\text{m}$ and $1\mu\text{m}$ energy requirements for several targets.

The second fundamental question about a given pulse shape is how much "damage" will it cause in the FOA? A basic problem is that surface imperfections will slightly absorb blue light causing local heating. Too much heating produces local damage. The figure of merit for this process, known as the "damage integral", increases with fluence (J/cm^2) and decreases with pulse-length as $1/t^{0.5}$, since heat can diffuse away from the absorbing imperfections. NIF's specification for damage integral is $8\text{J}/\text{cm}^2$, 3ns gaussian equivalent. This means that a 3ns gaussian pulse of $8\text{J}/\text{cm}^2$ passing through the FOA would be acceptable. Likewise, the $t^{0.5}$ scaling means a 12ns pulse of $16\text{J}/\text{cm}^2$ would also be acceptable. For an arbitrary pulse shape [22]

$$\text{Damage integral} = 1.1 \times \int_0^t \frac{I(s)}{\sqrt{t-s}} ds$$

where I is the blue light intensity in units of GW/cm^2 , t and s are in ns. The final column in table 4 lists the damage integral values for several higher absorbed energy designs. All are within NIF's $8\text{J}/\text{cm}^2$ 3ns gaussian equivalent damage specification.

Discussion:

The 600kJ capsule driven at 250eV that we used as a case-study is part of a larger study exploring the limits of capsule coupling energy. This work indicates that NIF may be able to drive some surprisingly energetic targets. Figure 7 is an "engineering plot" which summarizes our findings at 250eV. It relates capsule absorbed energy to laser performance. The solid lines represent the three case:capsule ratios we studied; $R_{\text{CC}}=3.65$, 3.28 and 2.98. The broken line at the upper right shows where we would run out of 1 μm energy using an advanced pulse shaping technique such as the ultra-fast pickets described above. At $R_{\text{CC}}=3.65$, we may be able to implode a capsule which absorbs 600kJ before exceeding NIF's $8\text{J}/\text{cm}^2$ blue light fluence specification. If we can successfully implode capsules in hohlraums with reduced case:capsule ratio, the absorbed energies approaching 800kJ are possible. The star on the plot indicates one 220eV target we investigated. It is based on a 1000kJ absorbed energy capsule which produced 380MJ of energy [23]. At 250eV, we see that there is a reasonably good

match between NIF's damage specification and the $1\mu\text{m}$ light potentially available. Figure 8 is a similar plot for 300eV targets, based on a Cu-doped Be capsule design [24]. At 300eV we find some mismatch between the damage specification and the $1\mu\text{m}$ energy potentially available. We are beginning to explore ways to redress this mismatch, including evaluating the use of green light which is believed to have a damage limit considerably higher than that of blue light.

Finally, figure 9 is a plot of yield vs. capsule absorbed energy which demonstrates some of the benefits of increased absorption. We see that a factor of two to four increase in absorption over the original 150-200kJ moves us much further from the "cliff" where the penalty for small errors in understanding can be very large. These increases in absorbed energy can also very significantly increase the capsule yield.

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	case A	case B	case C
E _{WALL} (MJ)	1.8	1.2	0.95
E _{LEH} (MJ)	0.9	0.55	0.4
E _{CAP} (MJ)	0.6	0.6	0.6
total x-rays (MJ)	3.3	2.35	1.95
C.E.	0.7	0.9	0.9
Laser energy (MJ)	4.7	2.6	2.2

Table 1- Energy budget for three different assumptions of hohlraum wall material, laser entrance hole and conversion efficiency. Capsule absorbed energy remains fixed.

material	wall loss (kJ)	wall loss/Au
Au	1850	1.00
Au:Gd	1540	0.83
U:At:W:Gd:La	1200	0.65
U:Bi:W:Gd:La	1200	0.65
U:Bi:Ta:Dy:Nd	1170	0.63
Th:Bi:Ta:Sm:Cs	1250	0.68
U:Pb:Ta:Dy:Nd	1170	0.63
U:Ta:Dy:Nd	1240	0.67
U:Au:Ta:Dy:Nd	1190	0.64
U:Au:Ta:Dy:Nd	1220	0.66
U:Nb.14:Au:Ta:Dy	1230	0.66
Bernstein-Dyson	800	0.44

Table 2- A variety of mixtures of materials can reduce x-ray wall losses to ~2/3 that of pure Au.

Hohlraum	efficiency (%)
300eV, 150kJ, 3ns	11
250eV, 600kJ, 7.5ns	14.5
Reduce LEH only	16.2
Cocktails only	17.7
Both cocktails & reduced LEH	20.3
CE rises from ~80% to ~90%	22.9
Reduce RCC by 10%	25.3

Table 3- Hohlraum efficiency can be significantly increased by a combination of relatively small effects

target	1/3 μ m energy	1 μ m energy	1 μ m energy	damage integral
E_{CAP} /Yield/case:capsule	(MJ)	CW pulse (MJ)	fast pickets (MJ)	(j/cm ² 3ns equiv)
600kJ/70MJ/RCC=3.28	2.25	4.5	3.5	7.2
600kJ/120MJ/RCC=3.65	2.55	5	3.9	7.8
850kJ/150MJ/RCC=3.28	2.65	5.1	4	7.8
1000kJ/380MJ/RCC=3.28	3	6	4.5	8

Table 4- 1 μ m energy need to drive various targets, assuming two different operational strategies, and 1/3 μ m damage integral for each target's pulse-shape.

Figure 1- The x-ray energy absorbed by a capsule is the product of the three efficiencies shown and the laser energy.

Figure 2- Be ignition capsule designed to operate at 250eV. The 50mm thick doped layer next to the DT ice is Be with 2% (atomic fraction) Na and 0.4% Br on the inside of the layer, linearly decreasing to 0.5% Na and 0.1% Br on the outside of the layer. The yield is ~75 MJ with the amount of DT ice shown and the pulse shape of figure 3. By increasing the ice thickness and adjusting the pulse shape, yields up to 120 MJ are achieved in simulations.

Figure 3- The 250eV Be capsule can be driven with a continuous pulse shape parameterized by a “plateau time”, τ . The functional form is $T_F^4 = T_0^4 + (T_F^4 - T_0^4)(t/\tau)^n$ for $t < \tau$. $n=5$ typically allows ignition over the widest range of τ .

Figure 4- Solid lines: x-ray energy (MJ) absorbed by walls of various materials vs. time when exposed to the temperature vs. time of figure 2. Area of all three corresponds to that of a scale 5.55 hohlraum. Dotted lines: albedo vs. time for gold and for a multi-component cocktail.

Figure 5- Laser power vs. time which drives a 600kJ, 250eV capsule inside a scale 5.0 hohlraum made with cocktail walls.

Figure 6- Hohlraum coupling efficiency ($\eta_{CE} \eta_{HR-cap}$) vs capsule absorbed energy for various scales of the 250eV Be capsule. The coupling efficiency ranges between 20 and 33%, depending on the case:capsule ratio.

Figure 7- This plot relates energy absorbed by the 250eV capsule to NIF performance parameters. Solid lines indicate three different case:capsule ratios. Broken line indicates the limit set by NIF's available 1 μ m energy, assuming advanced conversion schemes. NIF's design specification for 1/3 μ m light fluence is "8 J/cm² 3ns gaussian equivalent".

Figure 8- A similar plot to figure 7 but for a capsule driven at 300eV.

Figure 9- Yield vs absorbed capsule energy from 1-D simulations of a capsule driven at 250eV peak radiation temperature and a capsule driven at 300eV. Significantly increasing the capsule absorbed energy will move us away from the ignition "cliff", thereby providing a more robust target.

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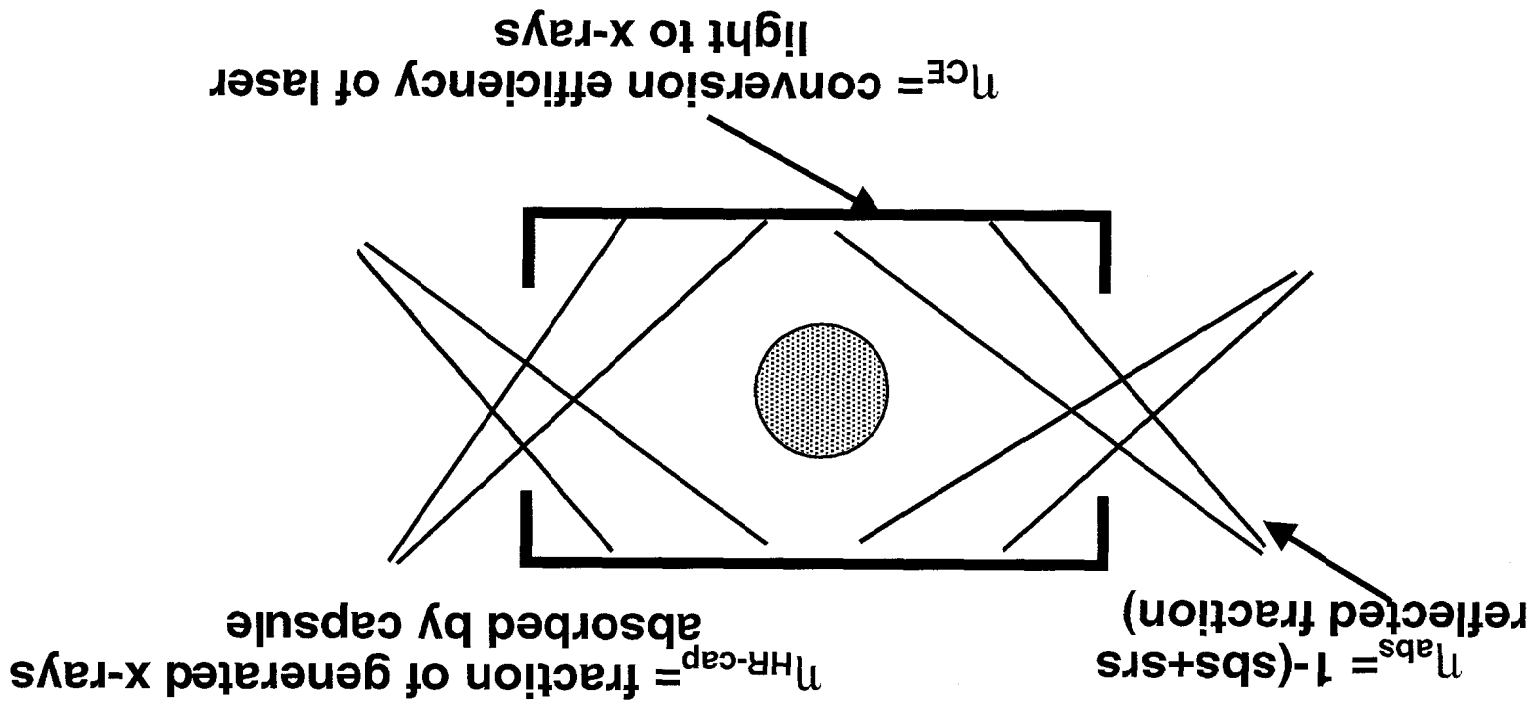


Figure 1

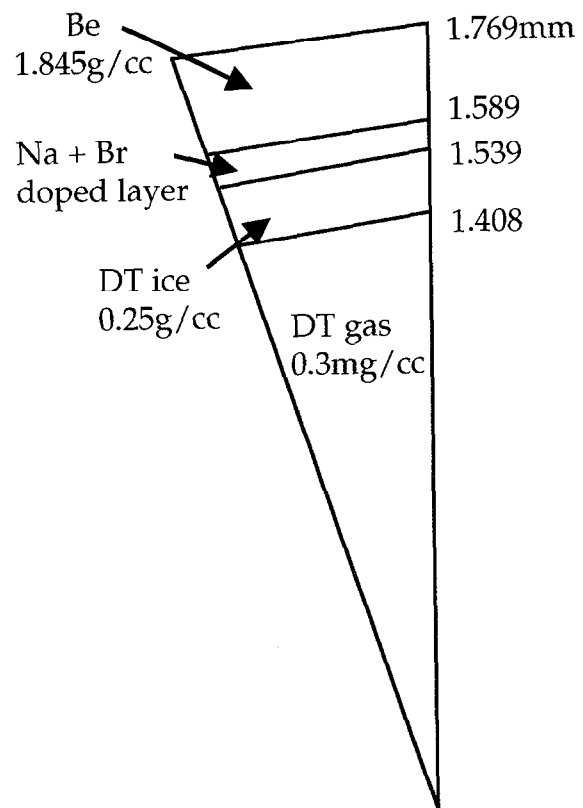


Figure 2

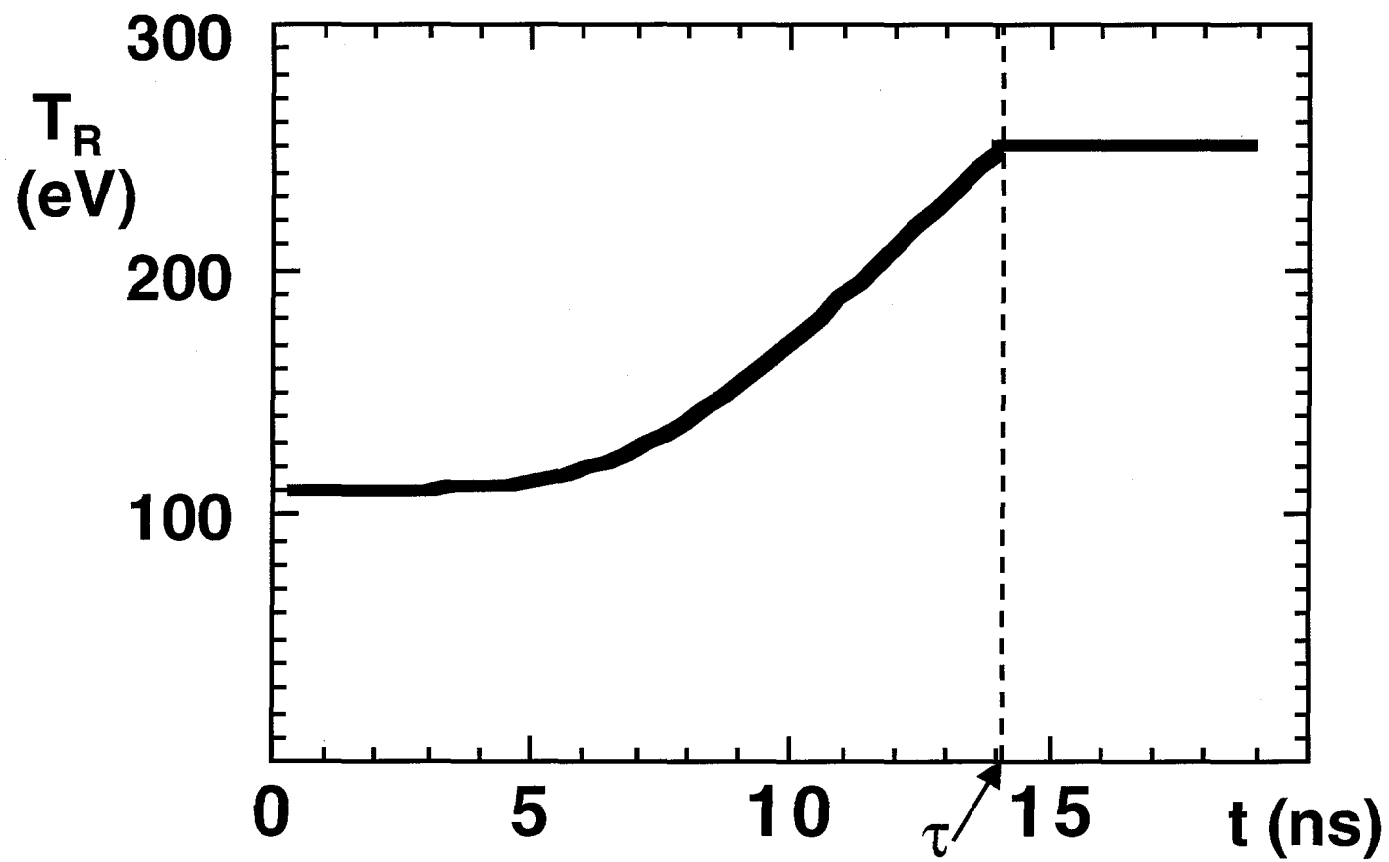


Figure 3

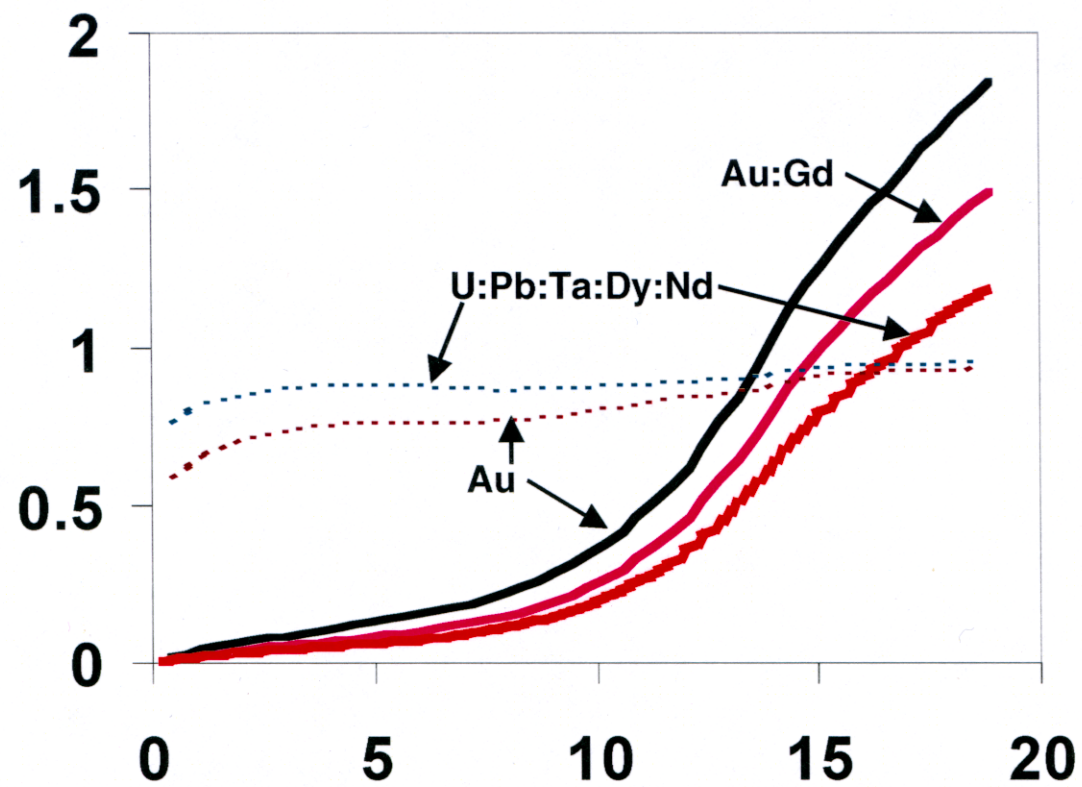


Figure 4

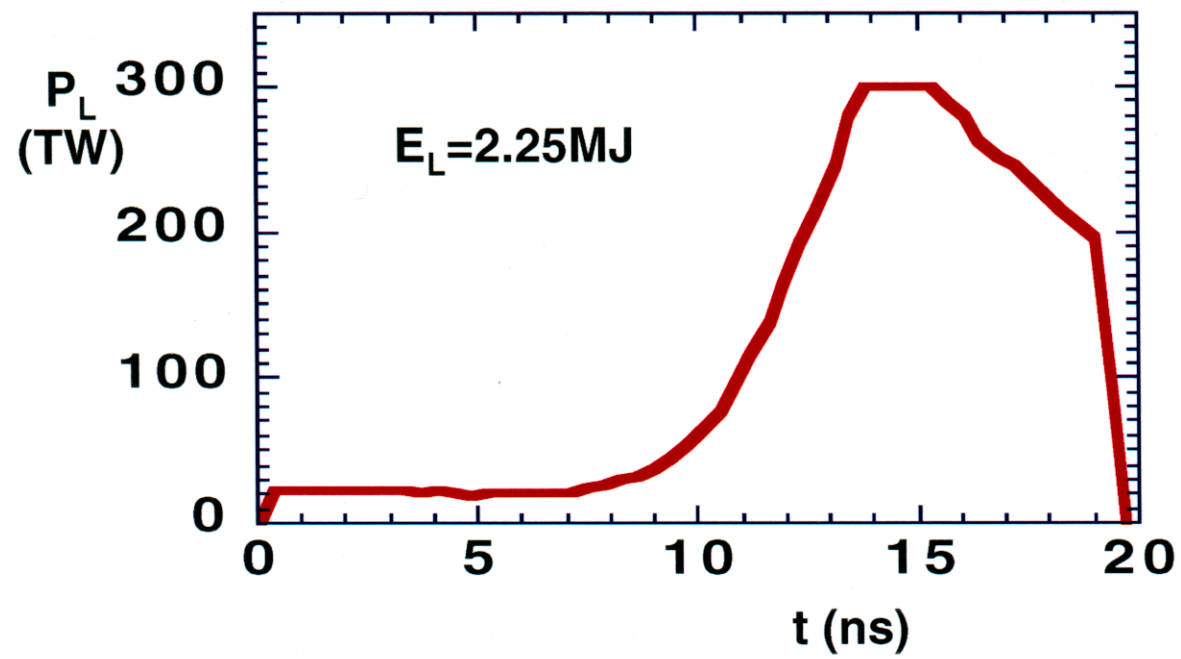


Figure 5

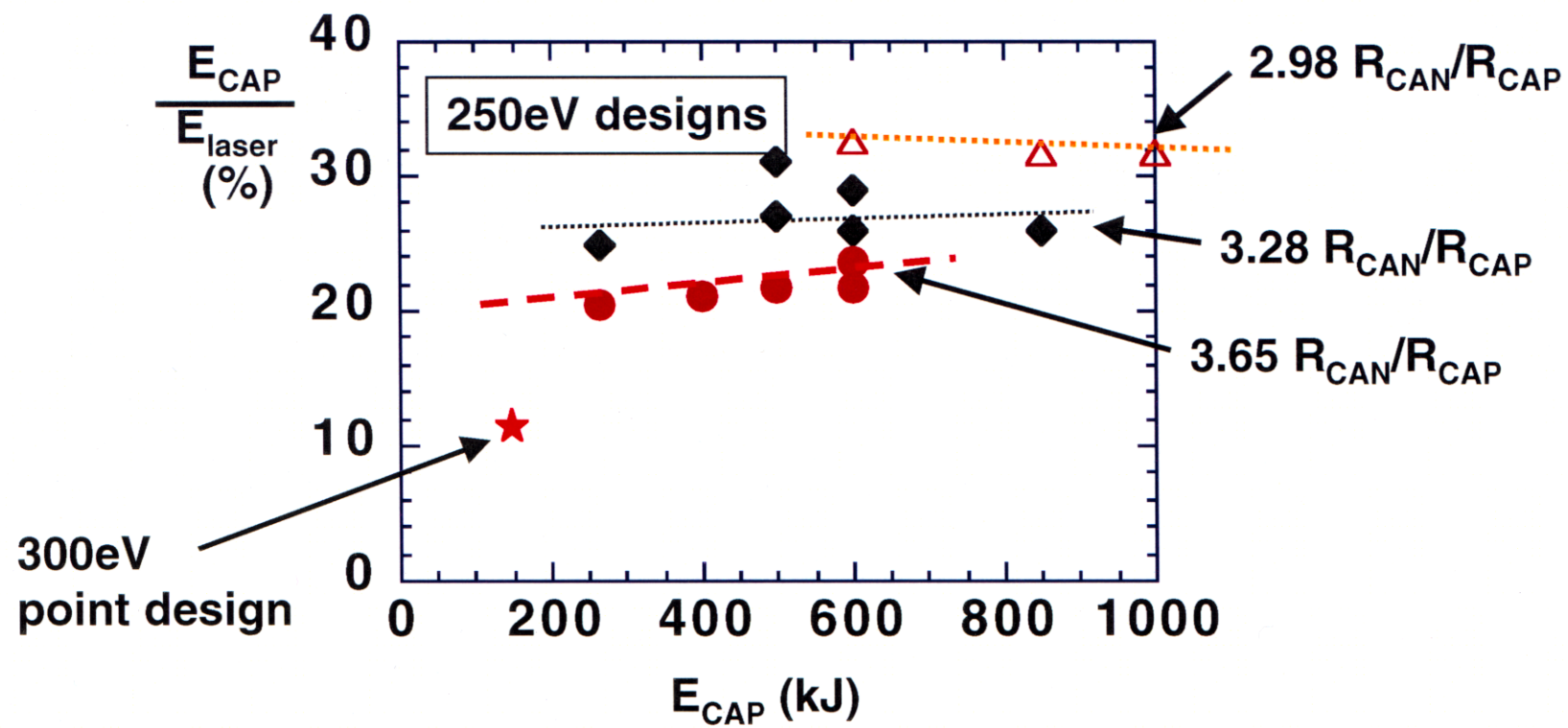


Figure 6

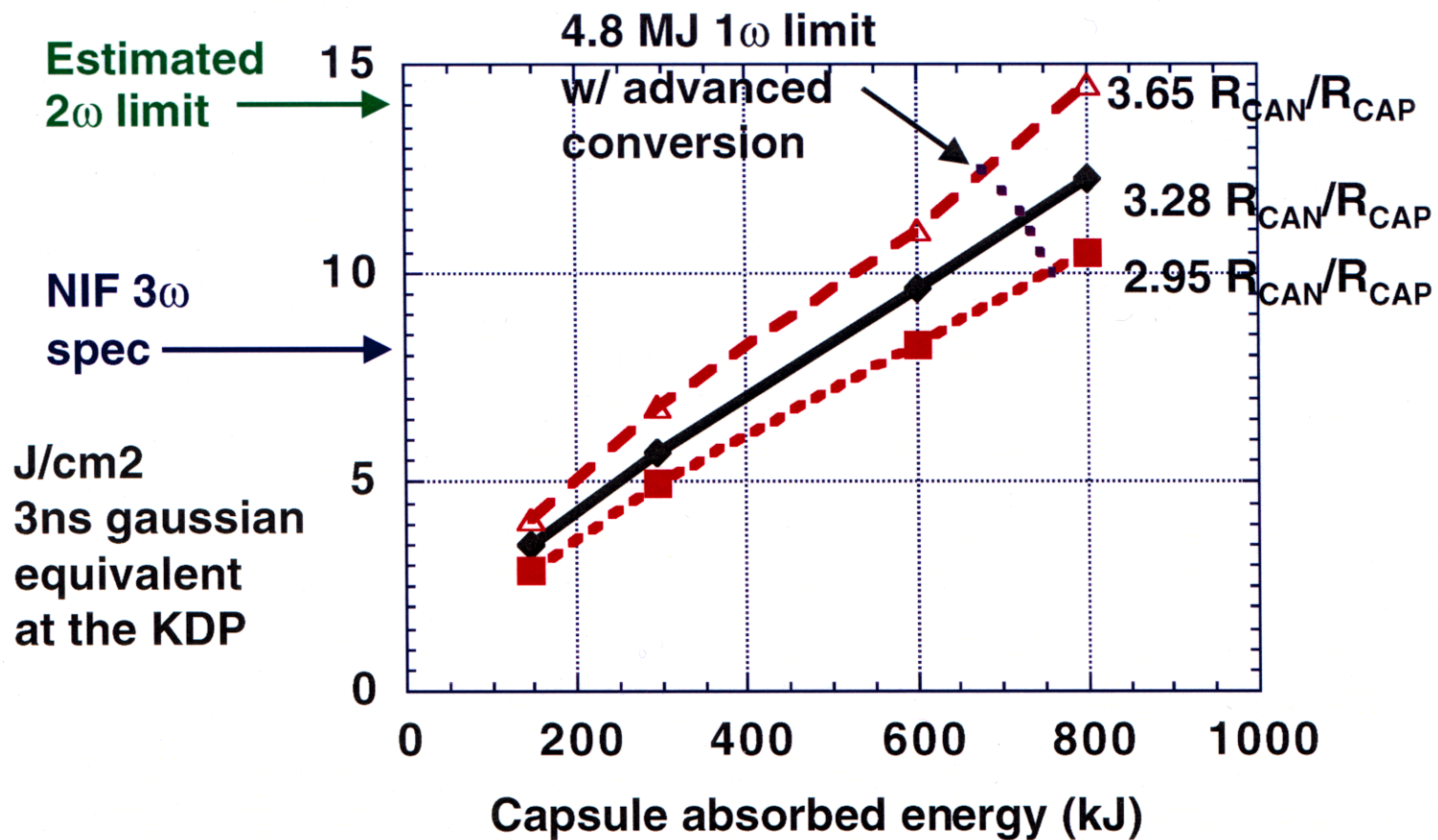


Figure 8

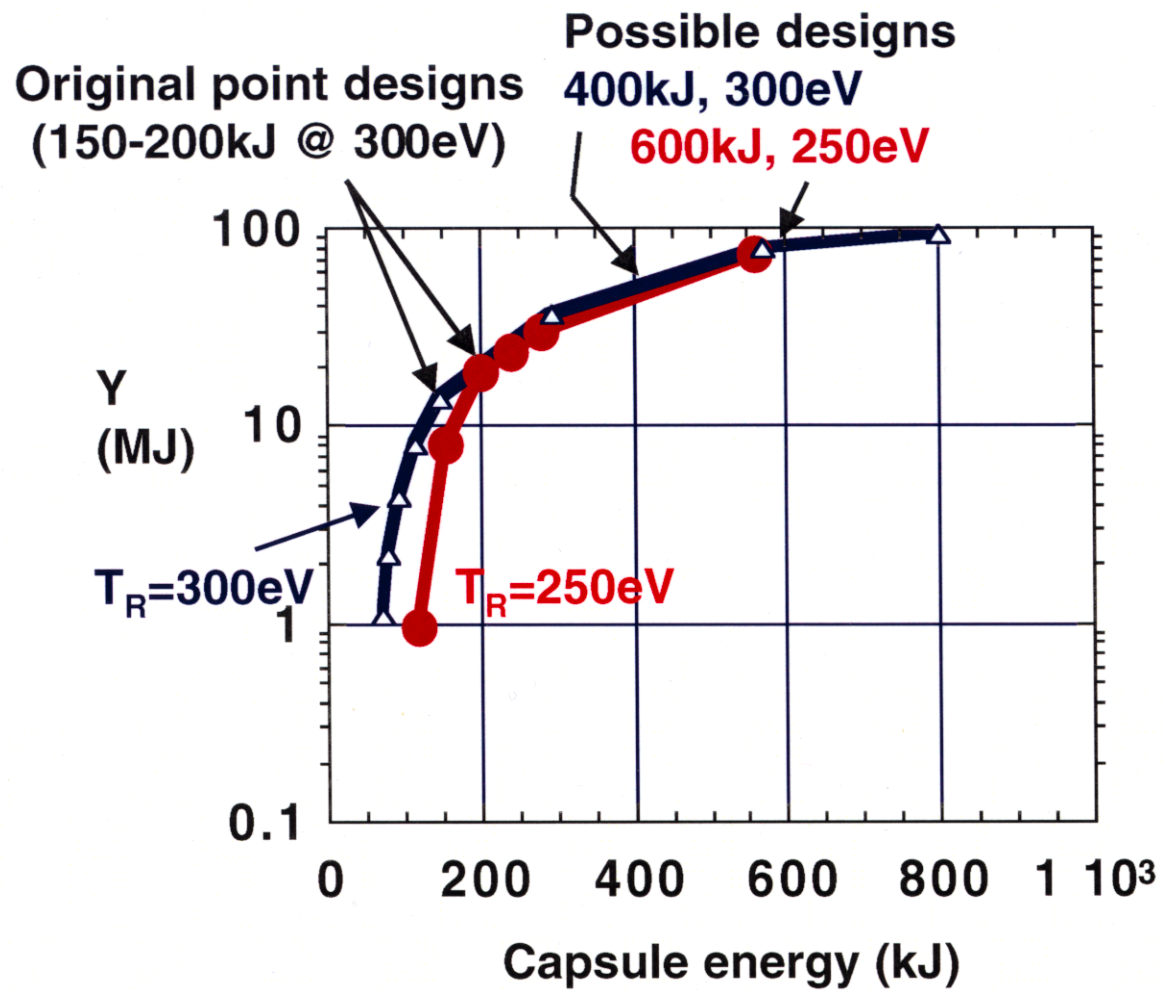


Figure 9